



SCHOOL OF COMPUTER SCIENCE AND ENGINEERING
CONTINUOUS ASSESSMENT TEST - I
WINTER SEMESTER 2025-2026

Programme Name & Branch : B.Tech. Computer Science and Engineering
Course Code : BAPHY105
Course Name : Engineering Physics
Faculty Name(s) : Dr. Deepak Bhat(18901), Dr. Kuraganti Vasu(15985),
 Dr. Abhishek Kumar Singh(17958), Dr. Murali R(12528),
 Dr. Vishnudath KN (22477), Dr. Samuel P(19502),
 Dr. Bhaskar Sen Gupta(15852)
Class Number(s) : 3665, 3661, 3663, 3655, 3658, 3659, 3666
Date of Examination : 29 January 2026
Exam Duration : 90 minutes **Maximum Marks: 50**

General instruction(s):

- Answer All Questions
- M - Max mark; CO – Course Outcome; BL – Blooms Taxonomy Level (1 – Remember, 2 – Understand, 3 – Apply, 4 – Analyse, 5 – Evaluate, 6 – Create)
- Course Outcomes
 CO 1: Identify limitations of classical physics through experimental observations.
 CO 2: Apply matrix algebra and Dirac notation for the understanding of quantum mechanical problems involving linear operators, eigenvalues and eigenvectors.

Q. No	Question	Module	Marks	CO	BL
1	a) What is a blackbody? Draw the blackbody spectra for three different temperatures. b) What is ultraviolet catastrophe? Discuss how Planck resolved it.	1	5+5	1	2
2	How did the double slit experiment with electrons illustrate the wave nature of particles? What happens if the electrons are replaced by macroscopic particles? Explain with diagrams for both the cases.	1	10	1	2
3	a) In Compton scattering, a photon of wavelength 0.01 nm is scattered by an electron. What is the maximum energy the recoiled electron can acquire from the photon? b) The wave function of a particle that is restricted to move between $x = 0$ and $x = 1$ is given by $\psi(x) = A(x + 3x^2)$. Determine A assuming it is a real, positive constant.	1	5+5	1	3
4	Given two vectors belonging to the 2-d complex vector space, $ \psi_1\rangle = (1+i) e_1\rangle - 3 e_2\rangle$ and $ \psi_2\rangle = 2 e_1\rangle - 3(1-i) e_2\rangle$ where $ e_1\rangle$ and $ e_2\rangle$ form an orthonormal basis. Check if these two vectors are linearly independent. Also, calculate $\langle\psi_1 \psi_2\rangle$ and from this, find out $\langle\psi_2 \psi_1\rangle$ without explicit calculation.	2	10	2	3
5	(a) What is a linear vector space? Does the set of all real polynomials whose value is 1 at $x=0$ form a vector space? Justify your answer. (b) Illustrate the idea of tensor product of vector spaces with an example.	2	5+5	2	2